[vision / discussion session]

Laura DONNAY

AdS/CFT meets Carrollian & Celestial holography

ICMS, Bayes Centre, Edinburgh

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Goal: establish a holographic correspondence between

Quantum gravity in 4D asymptotically flat spacetimes



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3D Conformal Carrollian FT

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 + extensions*



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deep relation with infrared effects in QFT, provide a stress tensor, current algebras, ...

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Seminal paper [Strominger '14]

ON BMS INVARIANCE OF GRAVITATIONAL SCATTERING

Andrew Strominger

Center for the Fundamental Laws of Nature, Harvard University, Cambridge, MA 02138, USA

The S-matrix is BMS invariant

Provided a (new) starting point for flat space holography

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It's been more than 10 years now...

Question

How fundamental do we think BMS* symmetries are?

* and/or their gauge theory analogues

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is a statement about the equivalence of 2 quantum theories

an isomorphism between their <u>Hilbert spaces</u>
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In flat space holography

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QED: need to **depart** from the Hilbert space of the usual Fock representation [Chung '65][Kibble '68] (see also [Ashtekar '84])

Faddeev-Kulish (FK) dressed states \in enlarged Hilbert space $\mathcal{H}_{\mathrm{FK}}$ [Dollard '71][Kulish, Fadeev '70]

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Modern revisit:
IR divergences arise, for conventional states, as a necessity to respect BMS conservation laws.

[Kapec, Perry, Raclariu, Strominger '17][Akhoury, Choi '17]

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- BMS₃ particles introduced in [Barnich, Oblak '14 '15]
 (g)BMS reps also studied in [Bagchi, Basu, Kakkar, Mehra '16][Freidel, Moosavian, Pranzetti '24]
- BMS₄ UIRs classified in a series of papers by Mc Carthy (+ Girardello, Parraviccini) in 1970's

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$$|\mathcal{P}\rangle = |p, \partial^2 \mathscr{N}\rangle$$

THE QUANTUM THEORY OF FIELDS STEVEN WEINBERG

supermomentum eigenstate

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Thank you!



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